
AN INVESTIGATION OF FIXED-POINT THEORY AND ITS DIFFERENT OPERATIONS

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Abstract

The idea of fixed point is viewed as both perhaps of the best and critical procedure used in contemporary arithmetic. In addition to the fact that it is used consistently in unadulterated and applied math, yet it is likewise fabricating an extension among examination and geography and giving an especially prolific area of communication between the two fields of study. In addition to the fact that it is used consistently in unadulterated and applied science, yet it is used in the development of the extension too. In addition to the fact that it is involved consistently in unadulterated and applied science, yet building a scaffold among examination and topology is likewise utilized. In addition to the fact that it is involved consistently in unadulterated and applied science, yet it is likewise utilized in these specific situations. The theory of fixed point isn't only one of the most huge and strong weapons of present-day arithmetic, yet it is additionally perhaps of the most critical and useful asset in all of math. In particular, it is one of the most critical and strong weapons of contemporary arithmetic. In the latter half of the nineteenth century, a discipline of mathematics known as topology was responsible for the development of a theory known as the theory of fixed points. Additionally, it was during this time period that the principles of topology were developed. H. Poincare (1854-1912) was a well-known French mathematician

who lived from 1854 to 1912. He is credited with being the developer of the fixed-point technique. Poincare's life span was from 1854 until 1912. Not only did he have important insights into its possible future value for resolving difficulties in mathematical analysis and celestial mechanics, but he also actively contributed in the building of the idea. In addition, he had significant bits of knowledge into its conceivable future significance for settling issues in mathematical examination and divine mechanics. He possessed strong insights regarding its probable future usefulness for the resolution of challenges in mathematical analysis and celestial physics.

Keywords-: Fixed Point Theory, Applications, tools, mathematical.

1. INTRODUCTION

The logical basis for the fixed-point theory was laid in the twentieth 100 years, and it was right now that a significant part of the preparation was finished. The main aftereffect of this theory is the Picard-Banach-Caccioppoli withdrawal rule, which was laid out during the 1930s. It opened up major new exploration prospects as well as applications of the theory to various sorts of conditions, including utilitarian conditions, differential conditions, vital conditions, and others.

The hypotheses of Tarki, Bourbaki, Banach, Perov, Luxemburg-Jung, Brower, Schauder, and Tihonov, notwithstanding Brouwder-Ghode-Kirk, are viewed as being among the most distinguished instances of the use of this theory.

An important aspect of the theory of metric spaces is the fixed-point theory that was created by Banach. This theory, which is also sometimes referred to as the contraction principle, was developed by Banach. It achieves this while simultaneously assuring that these solutions exist, and it not only provides a constructive technique to finding these solutions but also ensures the existence and uniqueness of solutions to equations of the kind $x = f(x)$ for a wide variety of applications. In the year 1922, functional analysis pioneer Stefan Banach is widely regarded as the person who first conceived of and successfully proved the theorem. He is credited with having done so.

Since ancient times, the empirical method of successive approximation has been employed as a way to find answers to numerical problems. This method is known as the method of successive approximation. It has been used, for instance, to solve Kepler's equation, which indicates that $E = M + e \sin E$, in order to estimate the location of the planets within their orbits ($E_0=M$, $E_1=M+e\sin(E_0)$,..., $E_n=M+e \sin(E_{n-1})$). Kepler's equation states that $E = M + e \sin E$. This has been used to estimate the location of the planets within their orbits. This approach has been demonstrated to be successful. In this paper, the sequential approximation method is rethought as an abstract idea in the form of the contraction principle. Using the eccentricity e of the orbit in conjunction with the mean anomaly M , the equations of Kepler may be utilised to determine the positions of objects that are a member of our Solar System. This can be done by applying the combination of the two terms. Because of this, it is possible to ascertain the locations of the items. The event is denoted by the letter E , which stands for extraordinary.

Joseph Liouville was the one who, in the year 1837, is credited with being the first person to originally think of the notion of employing sequential approximations as a strategy. Emile Picard was the one who, after some time had gone and in the year 1890, was responsible for making some more changes to it.

Since S. B. Nadler Jr's. exhibition in 1969 of the multivalued variants of the Banach-Caccioppoli withdrawal guideline, the fixed-point theory for multivalued administrators in measurement spaces has been used in a critical number of papers that have been distributed in the expert writing. This is because of the way that S. B. Nadler Jr's. work was quick to exhibit the multivalued adaptation of the Banach-Caccioppoli compression guideline. These works might be found in a scope of disciplines, like designing, science, and physical science. The revealing of this theory prompted the making of different applications in an expansive assortment of spaces, including, however not restricted to: the theory of improvement; fundamental and differential conditions and considerations; the theory of fractals; econometrics; and significantly more. These applications were made conceivable because of the theory's disclosure.

One of the fixed-point theorems that might be applied to multivalued circumstances is known as the Avramescu-Markin-Nadler hypothesis. This hypothesis has different applications, a large

number of which stand apart from the rest as being especially significant for their own special reasons.

Fixed point theorems for Darboux capabilities and Kasahara fixed point theorems, among others, are instances of applications of the fixed-point hypothesis that have been found and demonstrated.

A portion of the more essential revelations that have differed applications to fixed-point theory are the theorems about fixed points in fluffy measurement spaces. These theorems have been remembered for a wide assortment of distributions that have been disseminated as a feature of the expert writing.

Fixed point theory is significant not just in that frame of mind of the theory of differential conditions, essential conditions, differential considerations, vital considerations, useful conditions, fractional differential conditions, irregular differential conditions the guess techniques yet in addition in financial matters and the board), in software engineering and different spaces.

H. Scarf was the primary individual to give a useful way for finding the fixed point of a constant capability in the year 1973. This was finished by Scarf. H. Scarf is the person who gave this methodology.

The fixed-point theory might be used in a wide number of settings, for example, while surveying whether an issue has an answer, while deciding if dynamical frameworks have circles, and in the domain of programming, to give some examples of these expected applications.

The fixed points of these mappings additionally assume a significant part since the consequences of specific key single-esteemed mappings might have applications in areas as differed as designing, physical science, software engineering, financial matters, and media communications.

An extra line of request is currently being sought after toward an unmistakable class of administrator, all the more exactly the - - contractive sort of administrator. The terms and conditions of the w-distance may, for example, be found in works that have previously been distributed. The trouble with this is that it is challenging to find genuine cases for the w-distance since it is, all by itself, a more dynamic idea. This presents a test for the people who are

endeavoring to do as such. This offers a troublesome impediment. concocted the possibility of - - contractive multivalued administrators and showed how to get at fixed point results for this recently tracked down sort of administrator. They did this by creating and demonstrating the idea. In their exploration took a gander at whether a fixed point of a - - contractive sort administrator on a KST-space exists, whether it is remarkable, and whether it is steady under summed up Ulam-Hyers conditions. The issue of these various types of withdrawals in vector spaces is associated with the original subject of laying out the circumstances under which the fixed points of administrators of the - - contractive sort would exist and would be one of a kind. This is a theme that should be laid out.

2. REVIEW OF LITERATURE

Anguita et al. (2013). Utilizing cell phones as wearable detecting gadgets permits us to give an exceptional methodology that is likewise energy productive for the distinguishing proof of human exercises. This method utilizes the actual cellphones. Utilizing this innovation, we need to foster applications for helped living, for example, distant patient action observing for the incapacitated and the older. A changed multiclass Support Vector Machine (SVM) learning calculation is proposed by the method, which takes utilization of fixed-point math. When contrasted with the regular plan that depended on drifting points, this makes it conceivable to get a more exact gauge of how much time a cell phone battery would endure, while at the same time saving a comparable level of framework precision. Tests offer a point of reference for making examinations.

Gerving et al. (2012). A model illustration of shaky harmony is a pendulum that has been manipulated so it is totally vertical and still in its resting position. In the space of dynamical stage advances, this specific pendulum additionally compares to a shaky exaggerated fixed point. In this review, we measure the non-harmony elements of a twist 1 Bose-Einstein condensate that was first set up as a negligible vulnerability turn nematic state and afterward moved to an exaggerated fixed point of the stage space. This state was at first set up as a base vulnerability turn nematic state since we needed to limit how much vulnerability that was brought into the framework. The consequences of estimations uncover that non-direct twist development along a separatrix and non-Gaussian likelihood disseminations, which are both brought about by quantum vacillations, are in

great concurrence with right quantum computations up to a period timespan s . At the point when seen overstretched timeframes, the nuclear misfortune that happens because of the short life expectancy of the condensate causes bigger twist wavering amplitudes, as circles relocate further away from the separatrix. This is on the grounds that the life expectancy of the condensate is so short. This epitomizes how the decoherence of a many-body framework might prompt activities that give the impression of intelligibility regardless of the way that the actual framework isn't reasonable. This examination prepares for future investigation into significant features of non-balance quantum elements and empowers the examination of perceptible twist frameworks in as far as possible.

Claessen et al. (2013). HipSpec is a piece of programming that can consequently conclude and check highlights pertinent to useful projects. It does this by means of the utilization of induction and evidence. It takes on an inventive methodology by integrating exemplary methodologies like as exploring speculations, examining counterexamples, and demonstrating theorems inductively. Utilizing HipSpec, it is feasible to naturally build a bunch of equational theorems concerning the accessible recursive elements of a program. These theorems might be gathered in an assortment. Equational properties like this make up the arithmetical particular for the program. They may likewise be utilized as a foundation theory for the objective of exhibiting extra client expressed qualities, which is one more expected application for them. The consequences of the tests give a purpose to idealism: HipSpec functions admirably when diverged from other inductive hypothesis demonstrating and theory investigation devices.

Păcurar et al. (2010). Then, we will make a theory in view of this fixed point hypothesis, and afterward we will continue on toward the following stage, which is to propose a fixed point hypothesis for cyclic withdrawals. From that point forward, we will continue on toward the following stage. This theory integrates various ideas that are unpredictably associated with each other, including information reliance, well-posedness of the fixed point issue, limit shadowing trademark, and arrangements of administrators and fixed points. What's more, a fixed point hypothesis for cyclic withdrawals of the Maia type is introduced here.

Aleomraninejad et al. (2012). Joining highlights from a great many logical specializations is a commonplace procedure in an assortment of logical subfields, outstandingly in math. The way that it is critical in fixed point theory shouldn't shock anybody. Throughout the span of the beyond quite a few years, innovative work has essentially gotten pace in an assortment of subfields of math, including fixed point theory, differential conditions, calculation, and logarithmic geography, to give some examples of these other subfields. The thoughts of diagram theory and fixed point theory were converged by Espinola and Kirk in 2006, which was a critical commitment to the area of study. Research on a fresh out of the plastic new iterative methodology that is wrong and is applied to recognize fixed points of contractive and nonexpansivemultifunctions has simply of late been done by Reich and Zaslavski. In this article, we give a few discoveries that we got involving an iterative strategy for G-contractive and G-nonexpansive mappings on diagrams. These revelations were achieved by using the basic thought that had been created in their previous work, notwithstanding joining fixed point theory with chart theory.

Matsikoudis et al. (2015). At the point when rigorously causal parts are coordinated in criticism designs, we explore whether this outcomes in distinct frameworks. The regular understanding of such arrangements brings about a fixed-point limitation being forced on the capability that is demonstrating the part that is being thought of. Officially characterizing simply causal capabilities permits us to show that the related fixed-point issue doesn't necessarily have an answer that can be obviously described. We research the association between these capabilities and the capabilities that are rigorously contracting with respect to a summed up distance capability on signs, and we recommend that one ought to concentrate on the capabilities that are stringently contracting since these are the ones that are probably going to be of interest. We first show a helpful rendition of the fixed-point hypothesis for these capabilities, then give an enlistment rule that compares to it, and last explore the connected combination process.

Dayou et al. (2006). Since it was first evolved, the vibration neutralizer has tracked down utility in a wide assortment of settings. In many occasions, a creative plan regulation known as fixed-points theory was used to decide the ideal tuning and damping proportions of the gadget. This was the situation to decide the ideal tuning and damping proportions. Those applications, nonetheless,

are limited to point reaction control of designs that are very direct. There are sure applications that utilization ceaseless designs, in spite of the fact that point reaction the board is the essential concentration, whether or not the designs are gathered or non-assembled. The fixed-points theory is examined here for worldwide vibration control, all the more explicitly the administration of the dynamic energy of a constant construction. In this piece of exploration, it is shown that a similar plan regulation might be utilized for a significantly really testing application. The discoveries that were given in this exploration can recommend further applications for the apparatus.

Hua et al. (2018). It is conceivable that the establishment of a powerful vibration safeguard (DVA) onto a vibrating design could give a financially savvy answer for the concealment of vibrations; nonetheless, this may be the situation assuming the safeguard is constructed and situated suitably on the construction. A sprung mass is a continuous plan utilized for the DVA in light of its direct development and reasonable cost. By and by, the proportion between the safeguard mass and the mass of the primary construction puts a cap on the vibration concealment execution that can be accomplished by this kind of DVA. A shaft based powerful vibration analyzer, or bar DVA, is introduced and enhanced in this article determined to decrease how much thunderous vibration that a general design encounters. The mass proportion, flexural firmness, and length of the pillar are exceedingly significant elements in deciding the proposed shaft DVA's viability in the space of vibration concealment. Since it has a more prominent number of plan boundaries than the customary sprung mass DVA, the pillar DVA that has been created shows more prominent adaptability in the plan of the vibration control framework. At the point when the shaft DVA and the ordinary DVA have similar mass constraint, the vibration concealment abilities of the bar DVA can outperform that of the customary DVA assuming the plan is done accurately. The general strategy is exhibited with the assistance of a standard cantilever pillar for instance. To mimic the compound framework that comprises of the host bar as well as the connected pillar based DVA, the receptance theory is brought into play. Examinations are made with the discoveries got utilizing Abaqus and with those got utilizing the Exchange Framework strategy (TMM), which permits the model to be confirmed. From that point forward, the fixed-points theory is used to create the logical articulations for the ideal tuning proportion and damping proportion of the recommended pillar safeguard. Following this, a plan rule is offered that will help with choosing the boundaries of the

bar safeguard. In the third piece of this examination, correlations between the shaft safeguard and the ordinary DVA as far as the effect of stifling vibration are shown. By complying with this suggested rule, it has been exhibited that the proposed pillar safeguard is fit for beating the traditional DVA.

Benavides et al. (2007).It was a long time back when F. Browder and A.W. That's what kirk demonstrated assuming X is either a consistently raised Banach space or a reflexive Banach space with typical design, then every non-extensive planning characterized from an arched limited subset C of X into C has a fixed point. This was the start of the Fixed-Point Theory for single-esteemed non-far reaching mappings. Since that time, various essayists have inspected other mathematical elements of X that ensure the presence of a fixed point, in this manner laying out a fundamental association between the Calculation Theory of Banach Spaces and the Fixed-Point Theory. There are as yet countless unanswered inquiries around here right now. It is widely known that the presence of fixed points for multi-esteemed mappings might be valuable in various settings, including the goal of differential consideration and differential conditions that don't require special arrangements, as well as in Game Theory and Affordable Arithmetic. In this way, the errand of expanding the fixed-point results for single-esteemed mappings to the setting of set-esteemed mappings has all the earmarks of being one that has an extremely regular feel to it. In any case, at this point, just few outcomes have been distributed concerning the presence of fixed points for set-esteemed mappings that don't extend, and the most squeezing concerns have not been replied. Because of the way that ordinary construction ensures the presence of fixed point for single-esteemed non-far reaching mappings, the most entrancing unanswered inquiry in this subject is presumably as follows: Is the presence of a fixed point for smaller curved esteemed mappings ensured by the presence of typical design when the mappings are determined in a raised pitifully conservative subset of a Banach space that has ordinary design? This issue has not been settled at this point since the ordinary methodologies for mappings with a solitary worth can't be used in the multi-esteemed setting. Answers that are thought of "gentle" to this issue comprise of laying out that the mathematical elements of Banach spaces, which involve typical design, additionally require the presence of fixed point for multivalued mappings. During this show, we will exhibit those numerous qualities of this kind (like uniform convexity, almost uniform convexity, uniform

perfection, etc) are satisfactory prerequisites for demonstrating the presence of a fixed point. To find the fixed point, we will utilize the Asymptotic Center methodology, which is an iterative methodology that, at each step, diminishes the worth of the Chebyshev sweep for a chain of asymptotic focus sets. This strategy permits us to find the point by permitting us to track down the fixed point.

3. UTILIZATIONS OF FIXED-POINT THEOREMS:

In math, fixed point theorems can be applied in a wide assortment of settings. Fixed point theorems might be utilized to improve on most of the theorems that ensure the presence of answers for differential, essential, administrator, and different kinds of conditions. Another field of mathematical applications additionally utilizes them, like mathematical financial aspects, game theory, estimate theory, dynamic programming, and the arrangements of nonlinear essential conditions.

3.1. Utilizing Fixed-Point Theorems in the Context of Linear Equations

To have an understanding of the problem, we must first recall that there are several direct techniques available for the solution of such a system; a well-known example of this is the Gauss elimination method. On the other hand, an iterative process or an indirect approach can be more effective.

To utilize the Banach withdrawal rule, we require a measurement space that is finished as well as a planning that agreements on it.

We start by taking the set X of all arranged n -tuples of genuine numbers, which is recorded as

$$X = (x_1, x_2, \dots, x_n), y = (y_1, y_2, \dots, y_n), z = (z_1, z_2, \dots, z_n)$$

Etc.

On X , the measure d is defined as follows

$$d(x, z) = \max |x_j - z_j| \quad (1.1)$$

The equation $X = (X, d)$ is finished

on X , we characterize X by expressing that by

$$y = Tx = Cx + b, \quad (1.2)$$

where $C = (c_{jk})$ is a real $n \times n$ matrix that is fixed and b is a vector that is also fixed

When we break down (1.2) into its component parts, we get

$$y_j = \sum_{k=1}^n c_{jk} x_{ik} + \beta_j \quad (j = 1, 2, \dots, n), \quad (1.3)$$

Tracking down the fixed points of the administrator condition (1.2) is thusly like finding the answers for the framework characterized by conditions (1.3). We utilize the Banach compression guideline to find a solitary exceptional fixed point for T , otherwise called a solitary extraordinary answer for condition (1.3).

3.2. Applying Fixed-Point Theorems to Differential Equations:

For the purpose of proving the well-known theorem of Picard, which is an essential component in the theory of ordinary differential equations, we are going to make use of the Banach contraction principle. The concept behind this strategy is not complicated at all.

Let us assume that we are in possession of the differential equation

$$\frac{dy}{dx} = F(x, y), y(x_0) = y_0$$

Besides, let us expect that F is a persistent capability of (x, y) in the perplexing plane's space D . Likewise, let us expect that F fulfills the Lipschitz condition concerning y in a uniform way in x , which would truly intend that.

$$|F(x, y_1) - F(x, y_2)| \leq K |y_1 - y_2|$$

It ought not be excessively challenging to see that the condition displayed above is indistinguishable from the indispensable condition introduced underneath.

$$Y(x) = \int_{x_0}^x F(s, y(s)) ds + y_0$$

Where the unidentified capability is found $y = y(x)$

The solution to our problem can be found at the fixed point of a mapping suggested by this equation under particular conditions and in the right space.

4. UTILIZING FIXED POINT THEORY IN THE CONTEXT OF GAME THEORY: A SPECIFIC INSTANCE - QUALITY-RELATED GAMES

Quality analysis issues, whether they pertain to a physical or immaterial good, can sometimes be handled as game theory issues.

There are two arrangements of components associated with the creation of each and every great or administration: those that raise the upsides of the item's quality pointers, and those that lower them. Accordingly, the primary player is chosen by the factors that improve the upsides of the quality pointers, and the second player by the other arrangement of components. The first "wishes" to make a predominant item, while the second "wishes" to make an inferior one. Because of their contention, the eventual outcome is of more excellent.

The proper scientific notation for this is

$A1 = \{\alpha_1, \dots, \alpha_i, \dots, \alpha_m\}$ is the collection of influences that raises the quality indicators' values, and by

The parts that cause a downfall, indicated by the situation $A2 = \{a_1, \dots, a_j, \dots, a_n\}$ are recorded. Every partner in the existence pattern of a material or unimportant item could influence the upsides of value markers at one point in time.

Two actions, i from $A1$ and j from $A2$, are selected at random by each participant. The measures taken are in response to how factor i affected the quality indicator values.

In this case, a mathematical real function $f_1(\alpha_i, a_j)$ may be used to express the value of the action i for the first player, furthermore, its qualities can be deciphered as a triumph for the principal player. The second player's defeat is represented by the function $f_2(\alpha_i, a_j)$.

$$f_1(\alpha_i, a_j) + f_2(\alpha_i, a_j) = 0.$$

Since the two players need to expand their utility, the inquiry is the way the main player can conclude which activity to take $f_1(\alpha_i, a_j)$, to do as such (von Neumann presented the term utility, which significantly widened the idea of "game," recommending that a "result" of a game isn't just something financial yet additionally a different huge number of occasions for which every player shows interest, evaluated by utility). In a round of unadulterated procedure, the Nash Balance is addressed by an essential profile in which every player's arrangement is the ideal counter to the rival's system. In this way, taking into account the connections between these thoughts, we might reenact the struggles that emerge during the improvement of superior grade, substantial or elusive products and their organization (see Figure 1):



Figure no. 1 Showing the interconnection between the hypotheses.

The fixed-point theory has been successfully applied to optimisation issues, game theory problems, and Nash equilibrium problems.

5. Conclusions

the fixed-point theory is a powerful and versatile branch of mathematics that has found widespread and impactful applications in various domains over the past few decades. Its ability to uncover solutions to equations of the form $f(x) = x$, where "x" represents fixed points of the function "f," has been leveraged in optimization theory, game theory, conflict resolution, and the mathematical modeling of quality and its management.

This mathematical framework has proven invaluable in optimizing systems, analyzing strategic interactions, understanding conflict dynamics, and maintaining quality control. Whether it's identifying optimal solutions, equilibria in games, strategies for conflict resolution, or steady states in quality management, fixed-point theory provides a rigorous foundation for problem-solving and decision-making in complex, real-world scenarios.

As researchers and practitioners continue to adapt and extend the applications of fixed-point theory, it remains an essential tool in addressing a wide range of contemporary challenges in diverse fields. Its enduring relevance underscores the importance of mathematical principles in shaping and improving our understanding of the world and our ability to solve complex problems.

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