

## AN ANALYSIS OF FIXED-POINT RESULTS IN METRIC AND PARTIAL ORDER METRIC SPACES

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### Abstract

*Arbitrary fixed point hypothesis is part of irregular investigation and is convinced by a few creators all around the world which takes into account the vulnerability boundary called the arbitrary boundary. The fact that many current cycles which propagate the word state are based on the arbitrary person and are such as; they are managed by the models in deterministic or irregular terms. A few strategies have been produced for tackling such irregular conditions over time. Be that as it may, irregular fixed point hypotheses give amazing assets in the investigation of such nonlinear irregular conditions for demonstrating the presence and different perspectives of the arrangements. In our review present the idea of rectangular  $G_b$ -metric space which sums up the idea of rectangular measurement space and  $G_b$ -metric space. Then, some proper point results associated with specific compression are acquired in the setting of rectangular  $G_b$ -metric spaces. Furthermore, we likewise present the idea of curved rectangular  $G_b$ -metric space through the curved design and study the decent marks of advanced sort constrictions here.*

**Keywords:** Partial Order Metrics spaces,  $G_b$ -metric spaces, Fixed Point Theorem, Coupled tripled

### 1. INTRODUCTION

The key point hypothesis is an essential and central subject of non-linear research and involves the study of the actual condition  $f(x) = x$  in the metric system or wider topological space. Proof of measurable are changed into first given via way of means of French mathematician M. Foresee in 1906, and the look at of contractile mapping is imperative to the

immovable factorspeculation of measurable area, a crucialelegance of segmentarea. It can be a regular stage.

The primary fixed point hypothesis for contractive mappings in a measurement space is the observed Banach withdrawal planning standard laid out by Stefan Banach a clean mathematician in the year 1922.

This is an instance of set  $X$  and capping potential  $f: X \rightarrow X$ . Proper approximation of the placement of  $x$  is enough to make certain that  $x$  has an unmarried factor that isn't always shifted with the aid of using  $f$ . This is a completely unique  $x \in X$  as long as  $x = f(x)$ . The constant trajectory of those assumed features is treasured in transition states.

The withdrawal planning hypothesis and the theoretical droning iterative strategy are well known and are material to various circumstances. As of late, there is a pattern to debilitate the necessity on the constriction by considering metric spaces invested with halfway request. Given that the manager in question is booming in such an environment, it is important to determine if it is still possible to interpret the existence of a noteworthy checkpoint. Such a decent hypothesis, for example, helps to show the existence of a notable answer to the occasional boundary evaluation problem, among many other problems. This approach was started when considering some applications about the state of the network. This correct point hypothesis was improved and extended, taking into account both cases of drones, and applied to the intermittent limit estimation problem.

In this paper, pursuing the direction referenced above, we stretch out such contemplations to blended droning administrators so we can extend, in a brought together way, the class of issues that can be explored.

All the more unequivocally, we demonstrate the presence of  $x \in X$ , for a non-stop planning  $f: X \rightarrow X$  such that  $f(x) = x$ , where  $X$  is a to some degree requested set with a measurement characterized on it. For the situation that  $f$  isn't nonstop, we lay out the presence of a proper point hypothesis by making an extra presumption on  $X$ .

We accomplish this by first thinking about a capability  $F: X \times X \rightarrow X$  having the blended droning property:

This definition is consistent with the idea of R2's mixed drone feature, where  $\leq$  corresponds to all standard R requirements.

In 1922, S. Banach presented a major fixed-point hypothesis in the measurement space of congestion planning. The retreat plan, more precisely, contracts and leads to several different numbers, such as Lipchits, rather than sweeps, all of which are continuous. Almost 40 years after Banach's presentation of a decent hypothesis, M. Edelstein (1961) made extensive guesses about it and presented a new fixed-point hypothesis class for mapping anomalous classes in measurable spaces.

From that factor on, specific speculations approximately compression making plans policies had been made through specific mathematicians, and plenty of constant factor hypotheses have arisen in measurable spaces, which maintains to this day. Obviously, there are other fixed point hypotheses such as J. Caristi's (1975, 1976) fixed point hypothesis related to irregular planning.

The fixed point hypothesis is a variety of domains (eg B. consistent temperature spread, complex response, neutron transport hypothesis, monetary hypothesis, plague, and fluid flow. Currently, this area is one of the dynamic areas of research. In 1965, Lofty A. Zadeh's idea "Fuzzy Set" was announced, opening up another skyline of human information. His approach to characterizing "fluffy" is a means of selecting vulnerabilities.

Therefore, it is closely related to human thinking and the cycle of thinking. In a nutshell, the Fluffy Set provides extensions to properly convey vulnerabilities and ambiguities numerically. The slow and fluffy hypothesis has permeated almost every field of science, innovation and the humanities and is now a very flexible interdisciplinary research area. Individuals have come across products that make widespread use of fluffy reasoning and fluffy set hypotheses, from home appliances to Shinkansen traffic control equipment. According to a board survey, the fluffy set hypothesis is also commonly used in data innovation. Each time you use fluffy justification, you can understand some of the benefits.

In 1984, O. kaleva and S. Seikkala introduced the idea of fluffy measurement by fixing the distance between the two focal points to a non-negative fluffy number. The fluffy number requirements and the three-sided disagreement were further characterized. The team is L.A.

We have released a new go-to level set presented by Zadeh. Based on the set of  $\alpha$ -levels, they studied some properties of fluffy numbers and fluffy measurable spaces, and properly understood the existence of Hausdorff geography in fluffy measurable spaces. Under the constraints of a particular fluffy measurement space, this Hausdorff geography creates Hausdorff consistency that allows the fluffy measurement space to be treated as a fluffy uniform space. Many scientists have obtained the usual fixed-point hypothesis of maps that meet different types of commutative conditions. B. Singh, M.S. Chouhan and R. Vasuki presented R-poor driving and usable mapping ideas separately in a fluffy measuring room. S. Sessa introduced a guess about the idea of commutatively, called the powerlesscommutatively of maps in fixed-point thinking in metric spaces.

Weak measurable, especially "powerless similarities", created by G. Jungck and B.E. Rhoades, who advocate some correct propositional hypotheses for such mappings without reference to measurable space coherence. Ideas those are much broader than ideas. Note that if the distance between objects is fluffy, the item may or may not be fluffy. In other words, in a fluffy measurement space, the crowd is fluffy, whereas in a fluffy 2-meter space, the distance between objects is fluffy in terms of proximity ability, and the crowd may be fluffy. An interesting result about this camp is S. It comes from a series of treatises by Gahler exploring two metric spaces. P.L. Sharma and K. Iseki focus on the first compressed project in a two-metric space. Recently, Z. Wenzhi and others have begun studying the room at 2 pm. It seems that the two-metric area is a virtuallyexpectedcapability of the section, that isdrasticallyelevatedwithinside the set X whose conceptual residences are counseledthrough the regioncapability of Euclidean area. Currently, its milesevery day to assumethe gap of three meters proposed through the extent function. Recently, A. A very thrillinghypothesisapproximately the concept of metric areasthroughBlancharditurned intofinishedthroughchanging the imbalances of the 3components of metric areas with wider parallax. Another wager is the full measurements.

## 2. FIXED POINT THEOREM

Fixed-factor speculation has always focused on the problem of positive proof, geography digs deeper into the study of fixed-factor speculation, and more directly, digs deeper into the problem of proving in different ways. I am. Metric constant coefficient guessing is part of

constant coefficient guessing, which is considered an important program in utility testing. This is part of a useful insightful guess where mathematical opportunities await important elements or perhaps important areas of illustration. Despite the fact that it actually has a metric function. It is also an excellent department for useful non-linear checks that are closely related to Banach surface computing.

A method of recognizing whether at least one location of  $X$  under  $T$  is invariant due to the correct cause of the self-generated plan  $T$  characterized by the nonempty set  $X$ . For example,  $Tx = x$  for a certain  $X \in X$ . Nonetheless, within the framework of the opportunity to create the plan  $T$  from  $X$  to  $F$  yourself, the equivalent definition work made  $XrY \wedge \text{zero}$ . It is the fixed locus of a set of maps  $T$  at area  $X$ , and reaching  $Y$  at  $F D X 7 \wedge \text{zero}$  is the addition of  $X$ , which can be invariant to any coefficient of  $J \wedge$ . From a larger perspective, we approach the statement that planning  $X$  for  $Y$  in all situations, using serious factor guessing, allows one or more grades of  $X$  with  $Tx = x$ . Since the beginning of the

Brouwer constant factor inference, many traditional constant factor hypotheses have been tested and a thorough exploratory sport around them has been encouraged. The additional part of the hypothesis is great for experts in guessing certain factors. Due to the constraints of spices, discharging them all is far beyond their capacity. Sign ancillary to specify some:

- (ai) Brouwer constant factor speculation,
- (02) Banach withdrawal criteria,
- (03) Schauder constant factor speculation,
- (^ 4) Tychonoff Constant factor speculation by
- (05) Sadovoski constant factor estimation,
- (og) Ky Fan comfort estimation estimation,
- (a-j) Nadler constant factor estimation,
- (ag) Caristi constant factor estimation.

**Definition 1.1.1:** Topologically associative domain  $X$  is said to have good factor characteristics (FPP for short), except that  $X$ 's normal self-generation scheme allows for something like certain factors. Remember that all properties are intended to be topological if they are better protected than homeomorphism.  $H$ .

If topological domain  $X$  is homeomorphic to topological domain  $Y$  and  $X$  is at risk of having certain topological characteristics, so is  $Y$ . Fortunately, constant factor membership is also a topological membership.

Let me adopt this  $T$  to confirm this.  $X \rightarrow Y$  He is some homeomorphism,  $5: K \rightarrow F$  is some constant creation.

### 3. NORMAL FIXED POINT THEOREMS IN METRIC SPACES

#### Presentation 3.1: Early Fixed Point Theorems in Metric Spaces

In general, the main result is expected with a decent direct hypothesis by Brouwer(1912), which provides a self-consistent plan for each of the closed unit spheres of  $R_n$ ,  $n$ . increase. - Layer Euclidean space, you have a decent point. A specific case of Brouwer's hypothesis can be expressed as:

**Hypothesis A:** Shut join span  $[0, 1]$  on the real line has a suitable point property. For example, every continuous scheduling of  $[0, 1]$  has a fixed point in itself. To investigate using the topology hypothesis requires an infinite layered space of grouping elements. A typical method is to extend the hypothesis from bounded layered space to infinite layered space. The infinite complexity of Brouwer's results was shown by J. Shudder (1930).

**Hypothesis B:** All small, non-empty subsets of standardized linear space have good point characteristics for consistent planning. The decent hypotheses of Brouwer and Schauder are important hypotheses that are close to the fixed point hypothesis and its applications. Schauder's hypothesis is very important for the mathematical processing of test conditions. Brouwer's results are extended to a smaller raised subset of the locally curved linear topological space.

**Hypothesis C:** All the minimized, extended, non-empty subsets of the locally curved Hausdorff real topological vector space have good point characteristics for consistent

planning. Perhaps the most frequently cited and applied fixed-point hypothesis is from S. Banach (1922), who appeared in his dissertation.

**Hypothesis D:** Let  $(X, d)$  be the completed measure space, and let  $T: X \rightarrow X$  be a plan with a final goal of about  $0 \leq k < 1$  with  $d(Tx, Ty) \leq kd(x, y)$  and all  $x, y \in X$ . In this case,  $T$  has a notable fixed point for  $X$  in this regard. In addition, for each  $x_0 \in X$ , the sequence of stress  $x_0, Tx_0, T(Tx_0), \dots$  is coupled to the actual location of  $T$ . For almost  $0 \leq k < 1$  and  $d(Tx, Ty) \leq kd(x, y)$  and all  $x, y \in X$ , then  $T$

It is called a bottleneck. The waist reduces the distance for a uniform variable  $k$  less than 1 in all groups of focal points. The above hypothesis is known as the receding planning hypothesis of Banaha's correct point hypothesis. Bryant (1985) has a basic record of the fallback planning hypothesis and some applications that evoke its role in less control than traditional differential conditions. The Banach compression standard is simple in nature and its validation does not include much topological hardware. Verification is productive. That is, the existence of a fixed point is established by constructing the point as a constraint on the placement of the stress on the correct point. Developing a  $\{x_n\}$  deployment and checking its shuffle is known as a progressive guessing strategy. The following is the case of the Banaha withdrawal rule.

**Hypothesis E:** The sine function expressed as  $T(x) = \cos x$  is the compressibility and has a good point. Let  $(X, d)$  be a measurable space and  $d$  be an expected measure. Also, let  $X = [0, 1]$  and characterize the ability  $T: X \rightarrow X$  with  $T(x) = \cos x$ . The  $\cos x$  and  $y = x$  plots converge once to  $[0, 1]$ , indicating that the sine function has the appropriate points at  $[0, 1]$ . Next,  $\cos 1 \approx 0.54$  suggests  $\cos [0, 1] \subset [0, 1]$ .

According to the mean hypothesis,  $T(x) - T(y) = T'(t)(x-y)$  for  $t \in (x, y)$  applies to all differentiable capabilities  $T$ . Currently  $\cos x - \cos y = -\sin(t)(x-y)$ . Some  $t \rightarrow |\cos x - \cos y| = |-\sin t| |x-y|$ . The signing ability increases to  $[0, 1]$ , so  $|\sin t| \leq \sin 1 \approx 0.84147$ . Thus  $|\cos x - \cos y| \leq 0.8415 |x-y|$ . Therefore, cosine is a draw schedule of  $[0, 1]$ . Press and hold the cosine base on the minicomputer to sort 16 ounces per cycle and get a seed value of  $[0, 1]$  to get  $p \approx 0.739$  as a good point. The Banaha compression design hypothesis has long been used as perhaps the most important instrument in the study of nonlinear problems. There is a remarkable indication of the unity of utilitarian inquiry in the scientific method and the



convenience of the fixed point hypothesis in inquiry. Therefore, for over 40 years, various speculations about this hypothesis have been won by weakening the speculation while preserving the blending properties of progressive repetition as a uniquely fixed function of the design. The meaning of these guesses is the concept of non-enlarged and reduced maps. Another important guess in this guideline is about the normal fixed position of a mapping set or planning group that meets the shrink sort condition. One of the most interesting speculations of the Banaha contraction principle is to replace Lipschitz-consistent  $k$  with the ability of actual values whose values are less similar to solidarity. A quantitative variation of the Boyd-Wong hypothesis (1969) was proposed by F.E. Broder (1968).

#### **4. PARTIALLY ORDERED METRIC SPACES**

As already mentioned, the concept of the measuring room becomes provided through Maurice Freshe in 1906. From that point on, many scholars worked on this idea and sought to characterize different related ideas using different perspectives and ideas. One such important idea is the idea of an ordered measurement space. Such spaces are a continuous style, but these spaces have long been presented and concentrated. For example, Knaster (2010) began with an ordered fixed-point hypothesis, and Wanka (1996) published an article in 1996 on the presumed hypothesis of ordered space.

The use of fixed-point hypotheses for the required hypotheses is scattered across a wide range of disciplines. For example, multi-valued non-local and more irregular semi-differential conditions of elliptical and descriptive properties, differential conditions, and necessary conditions with fractional non-linearity, comprehensive vectors-a function that is not absolutely essential. Valuable standard spaces include Boncher's standard embeddable skills, with the exception of those that are actually used in numerical financial problems and game hypotheses.

#### **5. FIXED POINT RESULTS FOR MULTI-VALUED CONTRACTIVE AND CONTRACTION MULTI-VALUED MAPPINGS**

This section characterizes the idea of multi-value planning and presents some basic results and models. It presents two fixed-point hypotheses for multiple-estimated contraction mapping. The first guess about the compression plan to the non-empty closed and defeated



subset of  $X$  in the entire measure space  $X$  has a decent point. Gemstone summarized this result in a map that meets less forbidden Lipschitz imbalances, such as neighborhood compression and contraction plans. Considered retreat mapping with inside the broader context of unitary space.

Much Work has been completed on constant marks of multi-esteemed capabilities. In 1941, KakutanielevatedBrouwer'srespectablefactorspeculation for the  $n$ -mobileular to top semi-nonstop. In 1953, Strotherconfirmed that everychronic multi-esteemed making plans of the unit span of into the nonempty smaller subsets of  $I$  has a respectablefactorbut that the much likeend result for the 2- mobileular is misleading.

## **6. PRESENCE AND UNIQUENESS OF THE SOLUTION OF CERTAIN DIFFERENTIAL EQUATIONS AND INTEGRAL CONDITION:**

We manage the issue of finding the circumstances which guarantee that the arrangements of some differential condition or frameworks of differential conditions exist from now on. We think about an irritated differential condition and a framework of two differential conditions. In the confirmations we utilize the Schauder's fixed point hypothesis.

In this we give conditions under which all arrangements of an arrangement of differential conditions are continue able later on.

Bemfeld (1970), Hara, Yoneyama, Okazaki have contemplated the continuity of arrangements of bothered scalar differential conditions. Burton (1972), Kara, Yoneyama, Sugie (1983) have concentrated on the continuity of arrangements of an arrangement of two differential conditions utilizing Liapunov capabilities.

Stirs up has concentrated on the continuity in store for arrangements of scalar differential conditions utilizing the Schauder's decent point hypothesis.

## **7. SINGLE VALUED AND MULTI-VALUED MAPPINGS IN DMETRIC SPACES:**

Multi-esteemed mappings in  $D$ -metric were presented by B.C. Dhage (1998). He characterized the  $D$ -metric rendition of Hausdorff metric. In this part Dhage demonstrated the

way that a few outcomes in D-metric spaces can to some extent be stretched out to multi-esteemed mappings.

In this we sum up the triangle compression rule to set-esteemed mappings in D-metric spaces by characterizing Hausdorff D-metric in an alternate way. Thus the outcomes so got are fascinating and unique in relation to those of Dhage (1998). We likewise expand the consequences of H. Kaneko (1988) and (2000) for multi-esteemed mappings in the setting of D-metric spaces. The outcomes in this part are submitted in the southeast as in notice of mathematics.

Assuming that we inspect the above definition of Hausdorff D-metric and see its partner in measurement spaces, it uncovers that Dhage fixes one set A and takes up over the components of two sets B and C. Anyway by fixing the two sets furthermore, taking the sup over the components of the third set is more objective and viable with metric spaces.

Considering the above mentioned, we have rethought the definitions and applied them effectively to acquire the multi-esteemed adaptation of the triangle constriction guideline.

For this situation, we can sum up a few essential definitions and thoughts for set-esteemed mappings of metric spaces to D-metric spaces. We characterize the ideas of Hausdorff D-metric, unequivocally standard circle and lower semi-continuous mappings in the setting of D-metric spaces.

## 8. $G_b$ METRIC SPACES

In recent years, the fixed point hypothesis has undergone rapid changes. From one point of view, the study of new spaces was an interesting point in the field of numerical studies in the region. In 1993, Czerwik (1993) presented the idea of a metric space as an inference of a metric space and summarized the Banach constraint criteria for this space. Since then, Franciali (2000) has promoted the idea of rectangular measurable spaces by replacing triangular imbalances with quadrilateral parallax. Recently, he presented the idea of a rectangular b-metric space as a guess of a rectangular measurable space, which also provided some notable results of fixed propositions. Meanwhile, he introduced another class of total measurable spaces to compensate for the incompleteness of Dhage's hypothesis, called the G metric space. Then Aghajani et al. (2014) summarized the idea of b-distance from g-metric

space to Gb-metric space, and made some decent propositional hypotheses in these spaces. Many fixed points lead to the measuring room.

Then again, Takahashi (1970) presented a thought of convexity structure in a measurement space which offers the negligible devices for developing different fixed point iterative strategies for approximating fixed marks of nonlinear administrators. As of late, presented the thought of raised b-metric space, and stretch out Mann's calculations straightforwardly to b-metric spaces. Enhanced withdrawal was presented by him, as follows: Let  $(E, \|\cdot\|)$  be a direct normed space. A planning  $T$  is supposed to be an enhanced withdrawal if:

$$\|k(u - v) + Tu - Tv\| \leq \theta \|u - v\|, \text{ for all } u, v \in E,$$

where  $k \in [0, \infty)$  and  $\theta \in [0, k)$ . For additional outcomes on enhanced kind constriction.

**Definition 1.** Allow  $X$  to be a nonempty set. A halfway measurement (or a p-metric) is a capability  $p : X \times X \rightarrow (0, +\infty)$  fulfilling

(p1)  $x = y$  if and provided that  $p(x, x) = p(x, y) = p(y, y)$ ;

(p2)  $p(x, x) \leq p(x, y)$ , for all  $x, y \in X$ ;

(p3)  $p(x, y) = p(y, x)$ , for all  $x, y \in X$ ; and

(p4)  $p(x, z) \leq p(x, y) + p(y, z) - p(y, y)$ , for all  $x, y, z \in X$ .

The pair  $(X, p)$  is known as a halfway measurement space.

Obviously every measurement space is an incomplete measurement space. In any case, the opposite isn't accurate, in general. For instance, if  $X = [0, \infty)$  and  $p(x, y) = \max\{x, y\}$ . For this situation,  $p$  is a p-metric, yet it isn't a measurement on  $X$ . Many creators acquired variation fixed point brings about halfway measurement spaces for various contractive circumstances.

In 1989, Bakhtin and, in 1993, Czerwik presented another distance on a non-void set, which is known as a b-metric. A b-metric space is an endeavor to sum up the measurement space.

## 9. CONCLUSION

As mentioned earlier, these correct point hypotheses are, to some extent, consistent with compression rule inference and fast-growing iterative strategies. In our setup, half-hearted enforcement requirements are also imposed on the hidden measurement room, so all that is needed as a compromise is the notion of a more fragile narrowness. To use the partial requirements imposed on the measurement room, a drone administrator is required, but this too cannot be made compact. If you have a reasonably low or perhaps top placement, you can create a fast-growing group by cycling. Now, with a straight structure and some conservative rules, you can take advantage of the monotony of stress to blend the entire sequence of iterations from unified sequelae. Still, there is no direct design here to take advantage of the minimization competition commonly used in fast-growing iterative strategies to achieve merged sequelae. Therefore, in the current situation, you need to use the Cauchy model to get the expected placement with weak compression. In the following, we will use these two strategic ideas for metric spaces with incomplete requirements.

## 10. REFERENCES

1. A.C.M. Ran, M.C.B. Reurings, *A fixed point theorem in partially ordered sets and some applications to matrix equations*, *Proc. Amer. Math. Soc.* 132 (2003) 1435–1443.
2. Agrwal R.P. and O'Regan, *D fixed point theory for generalized contractions on spaces with two metrics*. *J.Math. anal. Appl.*-248, (2000), Page No. 402-414
3. Ampadu, C.B. *Some fixed point theory results for convex contraction mapping of order 2*. *JP J. Fixed Point Theory Appl.* 2017, 12, 81–130.
4. Aydi, H.; Abbas, M.; Sintunavarat, W.; Kumam, P. *Tripled fixed point of W-compatible mappings in abstract metric spaces*. *Fixed Point Theory Appl.* 2012, 2012, 134.
5. Aydi, H.; Karapinar, E.; Radenović, S. *Tripled coincidence fixed point results for Boyd-Wong and Matkowski type contractions*, *Revista de la Real Academia de Ciencias Exactas. Físicas Nat. Ser. A Math.* 2013, 107, 339–353.

6. Berinde, V. *Generalized coupled fixed point theorems for mixed monotone mappings in partially ordered metric spaces. Nonlinear Anal.* 2011, 74, 7347–7355.
7. Berinde, V. *Generalized coupled fixed point theorems for mixed monotone mappings in partially ordered metric spaces. Nonlinear Anal.* 2011, 74, 7347–7355.
8. Bianchini, R.M.T. *Su unproblema di S. Reich riguardante la teoriadeipuntifissi. Boll. UMI* 1972, 5, 103–106.
9. Bianchini, R.M.T. *Su unproblema di S. Reich riguardante la teoriadeipuntifissi. Boll. UMI* 1972, 5, 103–106.
10. D. Guo, V. Lakshmikantham, *Nonlinear Problems in Abstract Cones, Academic Press, New York, 1988.*
11. G.S. Ladde, V. Lakshmikantham, A.S. Vatsala, *Monotone Iterative Techniques for Nonlinear Differential Equations, Pitman Advanced Publishing Program, 1985.*
12. George, R.; Radenović, S.; Reshma, K.P.; Shukla, S. *Rectangular b-metric space and contraction principles. J. Nonlinear Sci. Appl.* 2015, 8, 1005–1013.
13. George, R.; Radenović, S.; Reshma, K.P.; Shukla, S. *Rectangular b-metric space and contraction principles. J. Nonlinear Sci. Appl.* 2015, 8, 1005–1013.
14. H. Kaneko, *A General Principle for fixed points of contractive multivalued mappings, Math, Japonica* 31, No.3, (1986), Page No. 407-411.
15. H. Kaneko, *Generalized contractive multi-valued mappings and their fixed points, Math. Japonica* 33, No.19, (1988), Page No.57-64.
16. Istratescu, V.I. *Some fixed point theorems for convex contraction mappings and convex non-expansive mapping (I). Lib. Math.* 1981, 1, 151–163.
17. J.J. Nieto, R.R. Lopez, *Contractive mapping theorems in partially ordered sets and applications to ordinary differential equations, Order* (in press).
18. J.J. Nieto, R.R. Lopez, *Existence and uniqueness of fixed point in partially ordered sets and applications to ordinary differential equations, Acta. Math. Sinica* (in press).
19. J.-L. Gouze, K.P. Hadeler, *Monotone flows and order intervals, Nonlin. World I* (1994) 23–34.
20. Jovanović, M.; Kadelburg, Z.; Radenović, S. *Common Fixed Point Results in Metric-Type Spaces. Fixed Point Theory Appl.* 2010, 2010, 978121.
21. Kir, M.; Kiziltunc, H. *On Some Well Known Fixed Point Theorems in b-Metric Spaces. Turk. J. Anal. Number Theory* 2013, 1, 13–16.

22. Kir, M.; Kiziltunc, H. *On Some Well Known Fixed Point Theorems in b-Metric Spaces. Turk. J. Anal. Number Theory* 2013, 1, 13–16.
23. Miculescu, R.; Mihail, A. *New fixed point theorems for set-valued contractions in b-metric spaces. J. Fixed Point Theory Appl.* 2017, 19, 2153–2163,
24. Mishra, P.K.; Sachdeva, S.; Banerjee, S.K. *Some fixed point theorems in b-metric space. Turk. J. Anal. Number Theory* 2014, 2, 19–122.
25. Mishra, P.K.; Sachdeva, S.; Banerjee, S.K. *Some fixed point theorems in b-metric space. Turk. J. Anal. Number Theory* 2014, 2, 19–122.
26. N. Mizoguchi and W. Takahashi, *Fixed point theorems for multi-valued mappings on complete metric spaces, Jr. of Mathematical Analysis and Application.* 141, (1989), Page No. 177-188.
27. S. Heikkila, V. Lakshmikantham, *Monotone Iterative Techniques for Discontinuous Nonlinear Differential Equations, Marcel Delker, New York, 1994.*
28. S. Nadler, *Multi-valued contraction mappings, Pac. Jr. of Math., Vol.- 20, Vol.-27(l), (1968), Page No. 192-194*
29. Singh and J.H.M. Whitifield, *Fixed points of contractive type multi-valued mappings, Math. Japonica* 27, No.1, (1982), Page No. 117-124.
30. Tahat, N.; Aydi, H.; Karapinar, E.; Shatanawi, W. *Common fixed points for single-valued and multi-valued maps satisfying a generalized contraction in G-metric spaces. Fixed Point Theory Appl.* 2012, 2012, 48.
31. Ughade, M.; Daheriya, R.D. *Fixed point and common fixed point results for contraction mappings in G<sub>b</sub>-cone metric spaces. Gazi Univ. J. Sci. (GUJSci)* 2015, 28, 659–673.
32. V. Lakshmikantham, R.N. Mohapatra, *Theory of Fuzzy Differential Equations and Inclusions, Taylor&Francis, London, 2003.*
33. V. Lakshmikantham, S. Koxsal, *Monotone Flows and Rapid Convergence for Nonlinear Partial Differential Equations, Taylor&Francis, 2003.*
34. V. Lakshmikantham, T. GnanaBhaskar, J. Vasundhara Devi, *Theory of Set Differential Equations in Metric Spaces, Cambridge. Sci Pub., 2005.*
35. Zheng, D.; Wang, P.; Citakovi'c, N. *Meir-Keeler theorem in b-rectangular metric spaces. J. Nonlinear Sci. Appl.* 2017, 10, 1786–1790.